

# An Ultra Low Resistance Continuity Checker

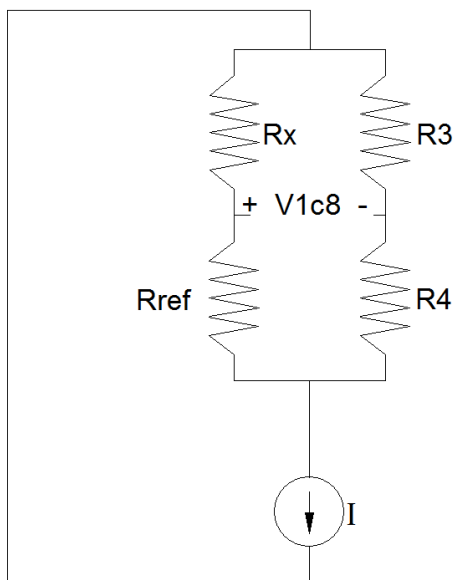
By R. G. Sparber

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Some understanding of electronics is assumed.

Although the title claims this is a continuity checker, its intended use is in machining where it is called an Electronic Edge Finder (EEF). The intended function of the circuit is to detect changes in resistance that are far smaller than can be seen with your regular digital volt-ohm meter. Most of these meters can measure down to a tenth of an ohm. This circuit not only measures down to about 10 milliohms, but it can also detect a change of 0.2 milliohms. It is beyond the scope of this article to explain why this is useful<sup>2</sup>.

The full circuit is rather complex so let's start at a much higher level and build up to it.

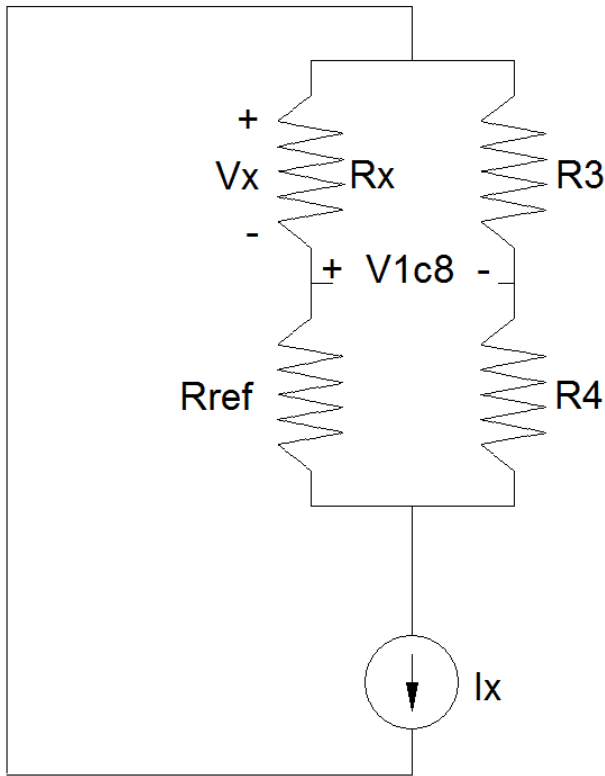


At the heart of the circuit is a Wheatstone bridge. A constant current source, marked "I", feeds the circuit.

$R_3$  has been chosen to have the same resistance as  $R_4$ . When  $R_x$  equals  $R_{ref}$ , the voltage  $V_{1c8}$  is zero. As long as we are in this balanced state, variations in "I" have no effect on  $V_{1c8}$ .

<sup>1</sup> You are free to copy and distribute this document but not change it.

<sup>2</sup> See <http://rick.sparber.org/rctf.pdf> for a similar circuit's operation.



I have defined the voltage across  $R_x$  to be  $V_x$  plus have replaced my constant current source with a Voltage Controlled Current Source.

$$I_x = \frac{10 \text{ mV}}{R_x} \quad (1)$$

I will also select  $R_3$  plus  $R_4$  to be much larger than  $R_x$  plus  $R_{\text{ref}}$ . This means that almost all of  $I_x$  flows through  $R_x$  and  $R_{\text{ref}}$ .

So let's see. The current flowing through  $R_x$  is essentially equal to  $I_x$  so

$$V_x = R_x I_x.$$

But  $I_x = \frac{10 \text{ mV}}{R_x}$  so I can say that

$$V_x = (R_x) \times \left( \frac{10 \text{ mV}}{R_x} \right) = 10 \text{ mV}.$$

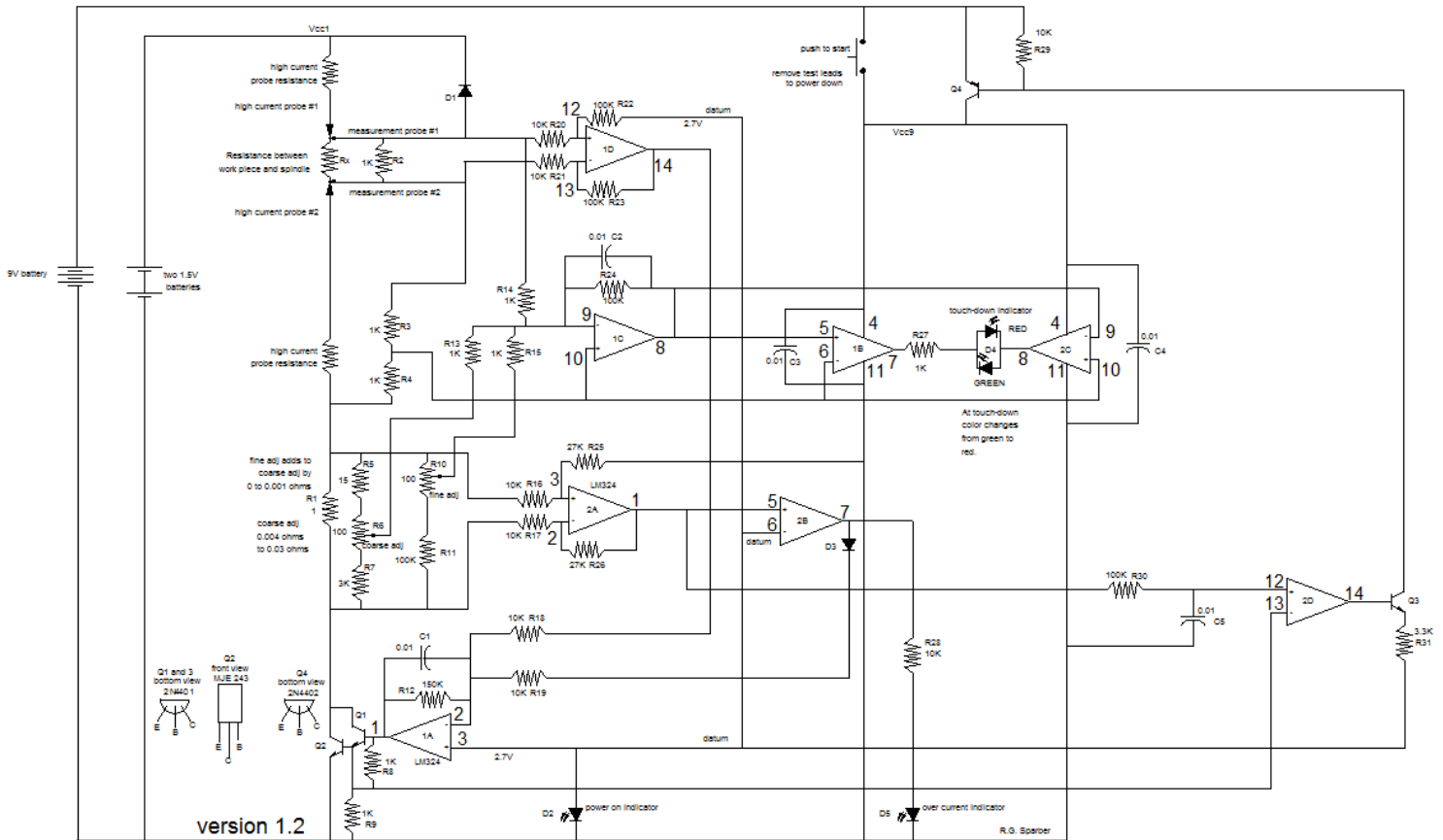
I have forced the voltage across  $R_x$  to be held constant at 10 mV. This has no effect on the Wheatstone bridge with its insensitive to  $I_x$  when at balance. But it does good things for me as you will soon see.

$I_x$  is free to vary from about 0.25 amps up to 1 amp. Below 0.25 amps, I will turn off power so is part of my automatic power down subsystem. At just above 1 amp, I will reduce the current, wait a bit, and then test to see if I can raise it again. This protects both the circuit and  $R_x$  from excessive current.

Given this range for  $I_x$ , I can use equation (1) to calculate the range of  $R_x$  that I can handle. At 0.25 amps,  $R_x = \frac{10 \text{ mV}}{0.25 \text{ amps}} = 40 \text{ milliohms}$ . At 1 amp,  $R_x = \frac{10 \text{ mV}}{1 \text{ amp}} = 10 \text{ milliohms}$ . If I used 0.25 amps all of the time, then when  $R_x$  equals 10 milliohms I would have only 2.5 mV across it which is close to the input offset voltage of the op amps I use so would cause excessive error. If I used 1 amp all of the time, then I would sometimes be using more current than I needed. That is not good since this current comes from batteries.

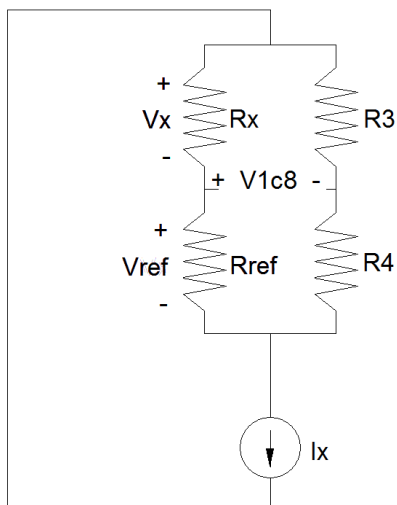
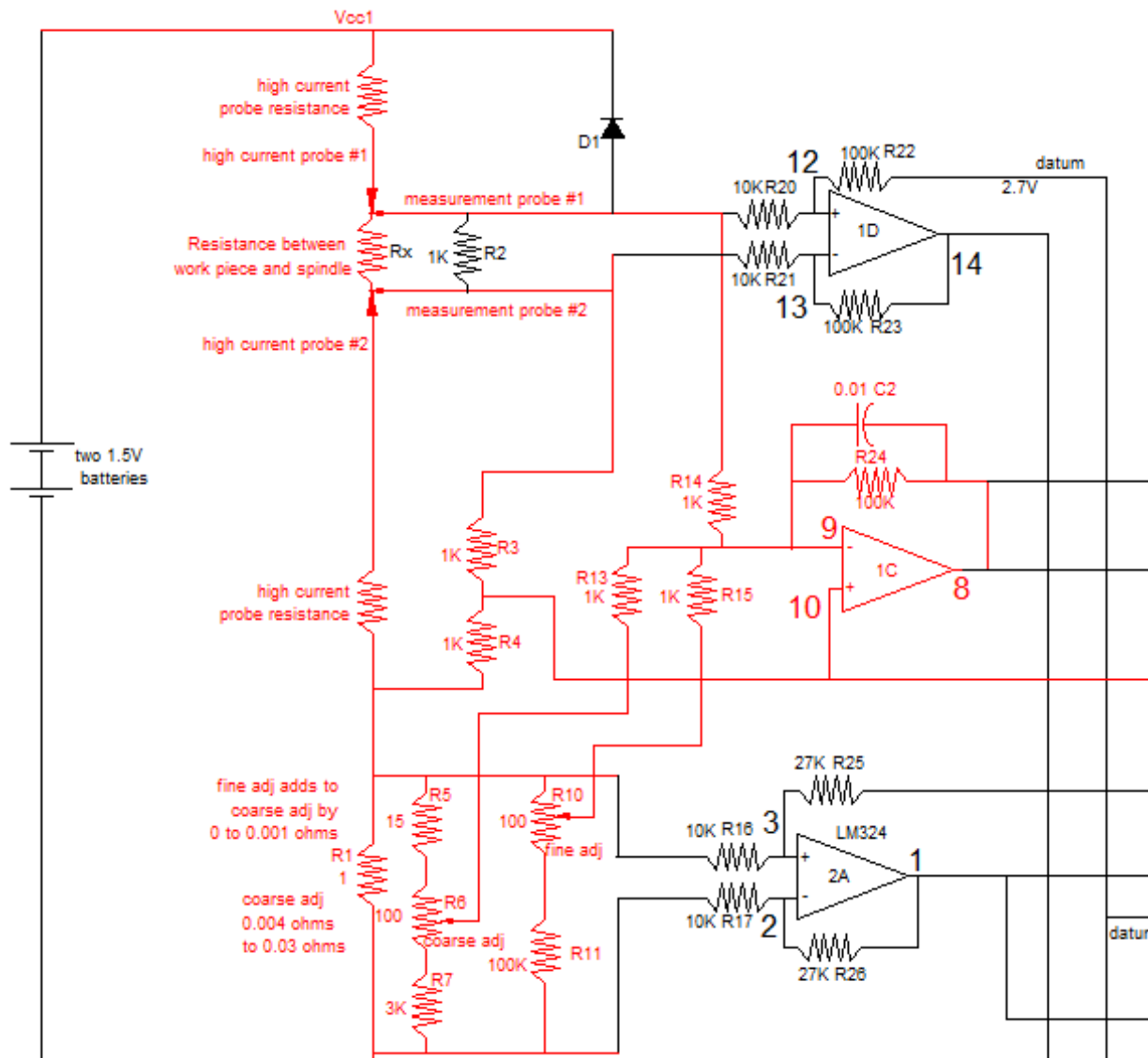
# Circuit Details

I will drop the entire circuit into your lap but then focus on each subsystem to make it more comprehensible.



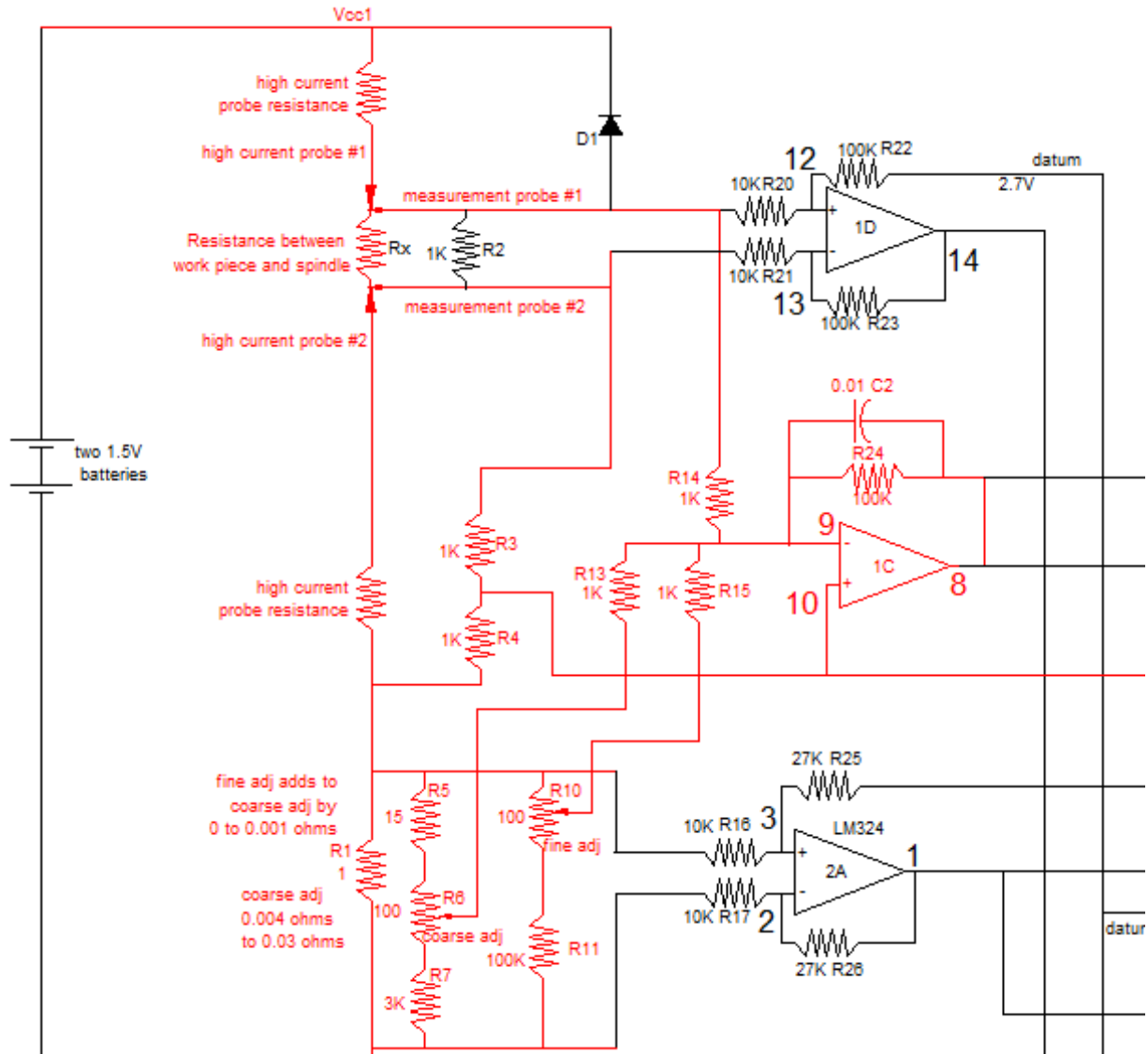
The circuit uses two quad op amp ICs, one power NPN, a few small signal transistors and diodes, and a bunch of resistors and capacitors. It is powered by a 9V battery and two 1.5V batteries.

## The Wheatstone Bridge



The circuitry in red may not look like a Wheatstone Bridge but it follows the same logic. R14 in the schematic corresponds to R3 in the simplified diagram. R1, R5, 6, 7, 10, 11, 13, and 15 are represented by R4 in the simplified diagram. And the voltage out of op amp 1C, pin 8 is my  $V_{1c8}$ .

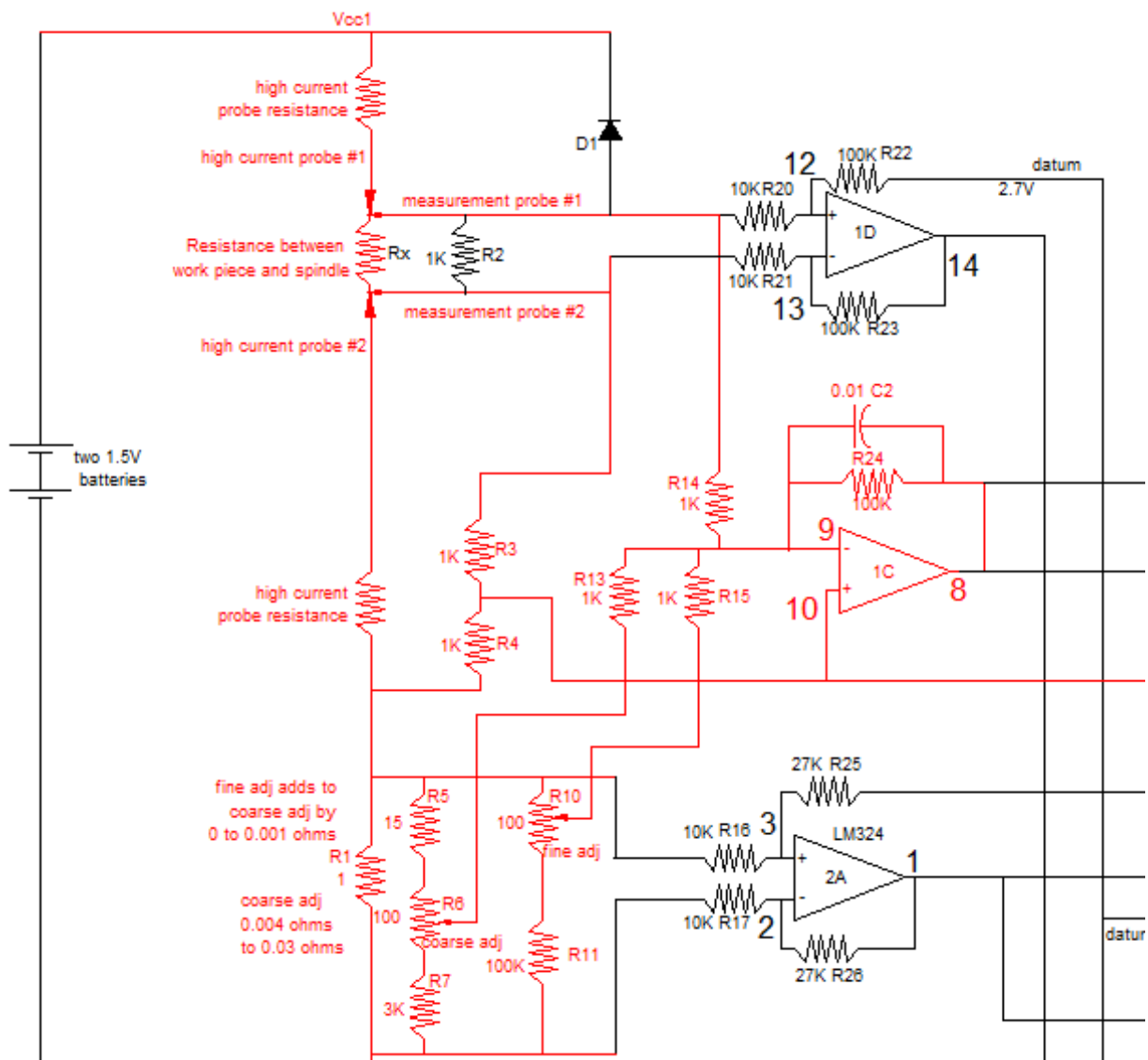
One minor difference with my approach is that I am comparing the voltage drop across  $R_x$  to the voltage drop across  $R_{ref}$ . When they are equal, I am at balance. Functionally, there is no difference.



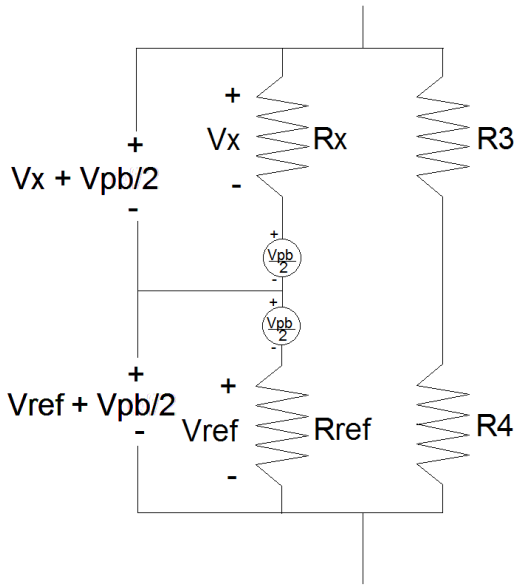
Starting at the top, I have the battery voltage which is marked  $V_{cc1}$ . It is around 2 volts when my test current is 1 amp. Those 1.5V batteries drop a lot of voltage with this kind of load.

Locate  $R_x$  and you will see four probes connected to it. Two of these probes carry the high current while the other two sense the resulting voltage and carry almost no current. This arrangement is called a Kelvin connection<sup>3</sup>. It enables you to tolerate large and unknown voltage drops in the current carrying path while having no voltage drop in the sensing path.

<sup>3</sup> [http://en.wikipedia.org/wiki/Four-terminal\\_sensing](http://en.wikipedia.org/wiki/Four-terminal_sensing)



My goal is to compare the voltage across  $R_x$  with the voltage across my  $R_{ref}$ . The problem is that I have an unknown voltage drop in the "high current probe #2" between them. I don't know what this voltage drop is but I sure can divide it in half with R3 and R4. Doing this gives half of this unknown voltage to my  $R_x$  voltage drop and the other half to my  $R_{ref}$  voltage drop.



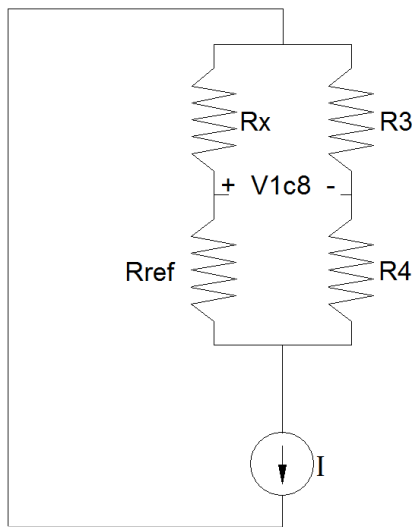
Going back to the high level schematic, I have added in my high current probe #2 voltage drop,  $V_{pb}$ . Thanks to R3 and R4, this unknown voltage has been equally shared by  $V_x$  and  $V_{ref}$ . Balance is detected when

$$V_x + \frac{V_{pb}}{2} = V_{ref} + \frac{V_{pb}}{2} \quad (2)$$

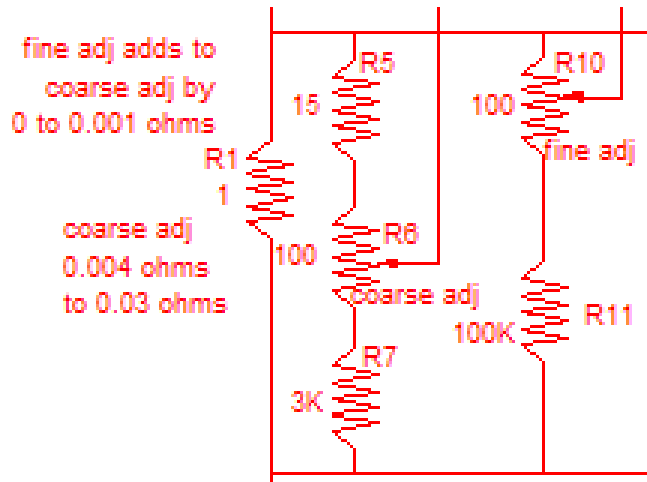
Which boils back down to my original equation of having balance at  $V_x = V_{ref}$ .

Since I measure  $V_{pb}$  using my "measurement probe #2", I pick up both the voltage drop in the

high current probe #2 wire and its connection to  $R_x$ .



In a regular Wheatstone bridge I adjust  $R_{ref}$  to be equal to  $R_x$ . But  $R_x$  is in the milliohms and I don't have a potentiometer in that range. Not to worry, what I really want is the voltage across  $R_{ref}$ . I don't care about the value of  $R_{ref}$ , just the voltage.



So instead of having an  $R_{ref}$  of, say 10 milliohms, I have  $R1$  equal to 1 ohm. Then I use a voltage divider to cut this voltage down to the level I would get if my test current passed through a 10 milliohm resistor.

First look at  $R10$  and  $R11$ . The voltage at the wiper of  $R10$  equals

$$V_{w10} = \frac{R_{10L}}{R_{10} + R_{11}} \times R_1 \times I \quad (3)$$

Where  $R_{10L}$  is the resistance from wiper to the top terminal. Say  $R10$  is set 1/3 the way from the top so  $R_{10L} = 33.3$  ohms. Then

$$V_{w26} = \frac{33.3}{100 + 100K} \times 1 \text{ ohm} \times I = 0.333 \text{ milliohms} \times I$$

So I simulate a 1 milliohm pot with a 100 ohm pot and a voltage divider.  $R_{10}$  is my fine adjust and lets me vary the effective  $R_{ref}$  by up to 1 milliohm.

The coarse adjust works in a similar manner using  $R5$ ,  $R6$ , and  $R7$ . Due to  $R5$ , I have a lower limit of

$$V_{w6} = \frac{R5}{R5 + R6 + R7} \times R_1 \text{ ohm} \times I \quad (4)$$

$$V_{w6} = \frac{15}{15 + 100 + 3K} \times 1 \text{ ohm} \times I$$

$$V_{w6} = 4.8 \text{ milliohms} \times I$$

The upper limit is

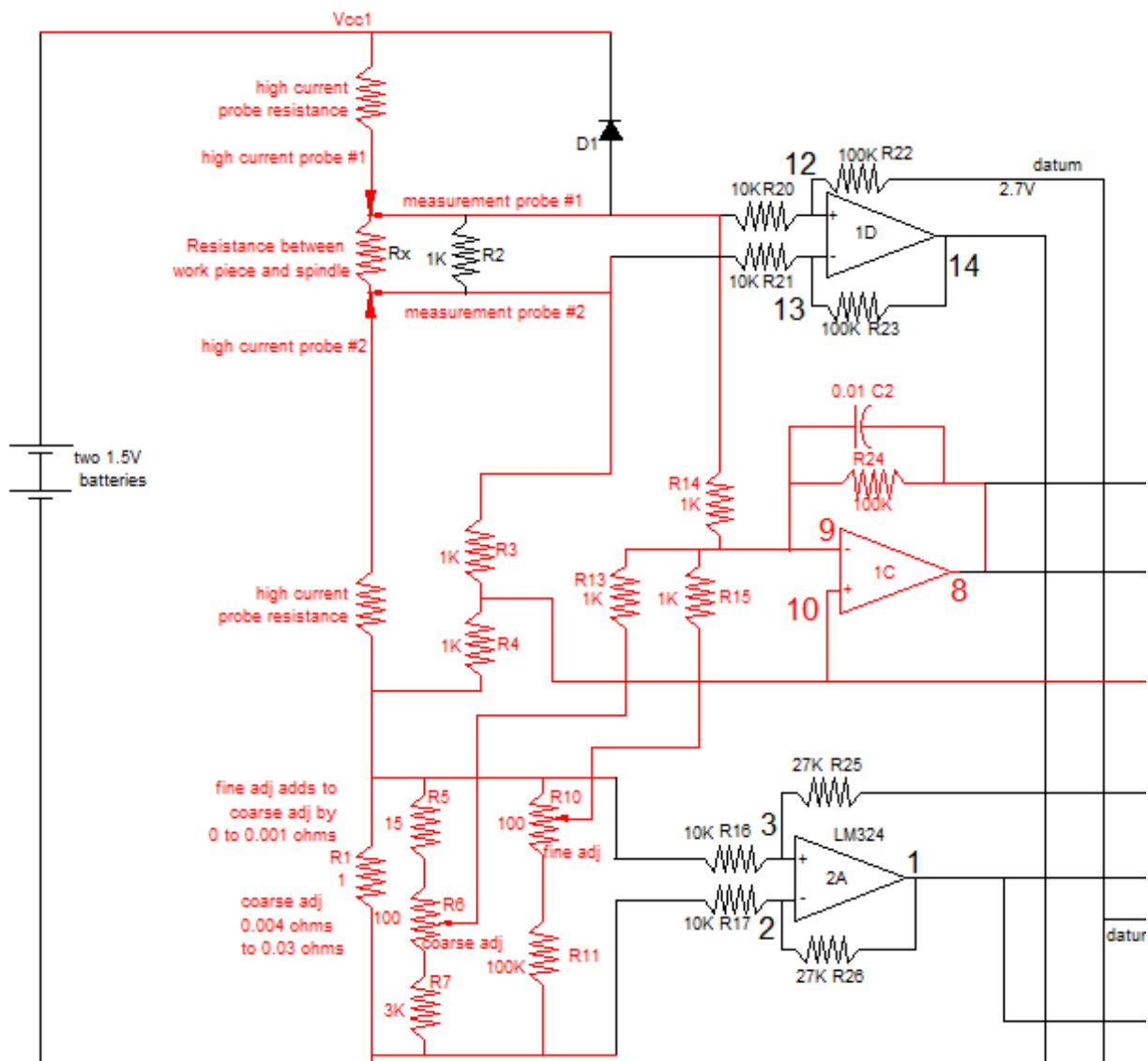
$$V_{w6} = \frac{R5 + R6}{R5 + R6 + R7} \times 1 \text{ ohm} \times I$$

$$V_{w6} = \frac{15 + 100}{15 + 100 + 3K} \times 1 \text{ ohm} \times I$$

$$V_{w6} = 36.9 \text{ milliohms} \times I$$

My advertised range is 9 to 25 milliohms so this gives me a little margin.





One nice thing about using an op amp to measure my effective  $R_{ref}$  is that I can simply add the fine adjust current to the coarse adjust current to get the full effect. So I can set my coarse adjust pot to 10 milliohms and use the fine adjust to move the effective  $R_{ref}$  between 10 milliohms and 11 milliohms.

Thanks to R3 and R4, I can ignore the voltage drop in high current probe #2. Taking pin 10 of op amp 1C as my ground, I can write

$$V_{1c8} = -R_{24} \left( \frac{V_{meas\ probe\ #1}}{R_{14}} - \frac{V_{W6}}{R_{13}} - \frac{V_{W10}}{R_{15}} \right) \quad (5)$$

But  $V_{\text{meas probe \#1}}$  equals  $R_x \times I$  and I know that the two wiper voltages are also functions of  $I$ . This can all be blown up into

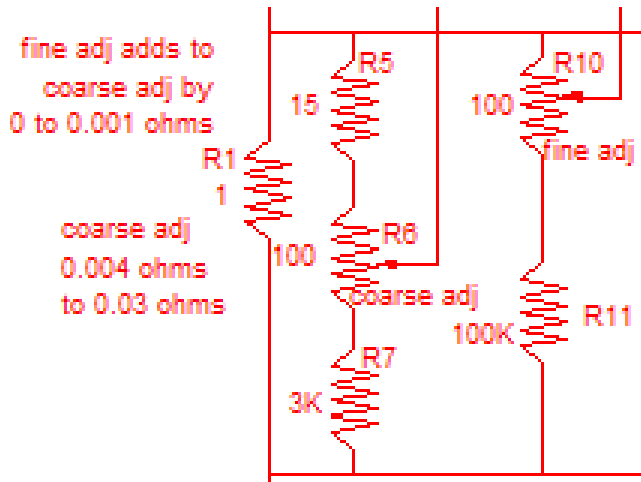
$$V_{1c8} = -R_{22} \left( \frac{R_x}{R_{11}} - \left\{ \frac{R_5 + R_{6L}}{R_{12}(R_5 + R_6 + R_7)} + \frac{R_{26L}}{R_{13}(R_{26} + R_{27})} \right\} \{R_1\} \right) (I) \quad (6)$$

At balance,  $V_{1c8}$  goes to zero. This lets me simplify a little to

$$\frac{R_x}{R_{11}} = \left\{ \frac{R_5 + R_{6L}}{R_{12}(R_5 + R_6 + R_7)} + \frac{R_{26L}}{R_{13}(R_{26} + R_{27})} \right\} \{R_1\} \quad (7)$$

Now,  $R_{11} = R_{12} = R_{13}$  so I can multiply both sides by this value and get

$$R_x = \left\{ \frac{R_5 + R_{6L}}{(R_5 + R_6 + R_7)} + \frac{R_{26L}}{(R_{26} + R_{27})} \right\} \{R_1\} \quad (8)$$



When I plug in values I get

$$R_x = \left\{ \frac{15+R_{6L}}{(15+100+3K)} + \frac{R_{10L}}{100+100K} \right\} \{1\} \quad (9)$$

Where  $R_{6L}$  and  $R_{10L}$  can be set to any value between 0 and 100 ohms.

For example, if I reach balance at  $R_{6L} = 50$  ohms and  $R_{10L} = 10$  ohms, then I know that

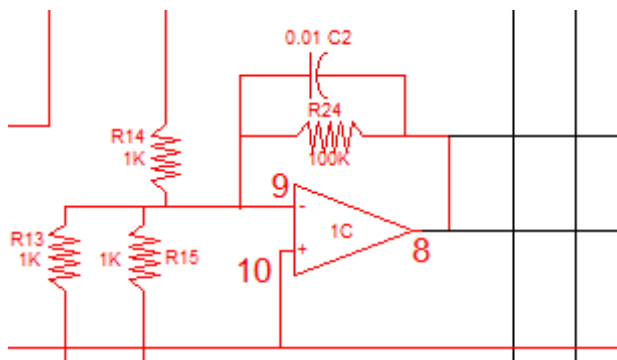
$$R_x = \left\{ \frac{15+50}{(15+100+3K)} + \frac{10}{100+100K} \right\} \{1\}$$

$$R_x = \left\{ \frac{65}{(3.115K)} + \frac{10}{100.1K} \right\} \{1\}$$

$$R_x = \{20.9 \text{ milliohms} + 0.1 \text{ milliohms}\}$$

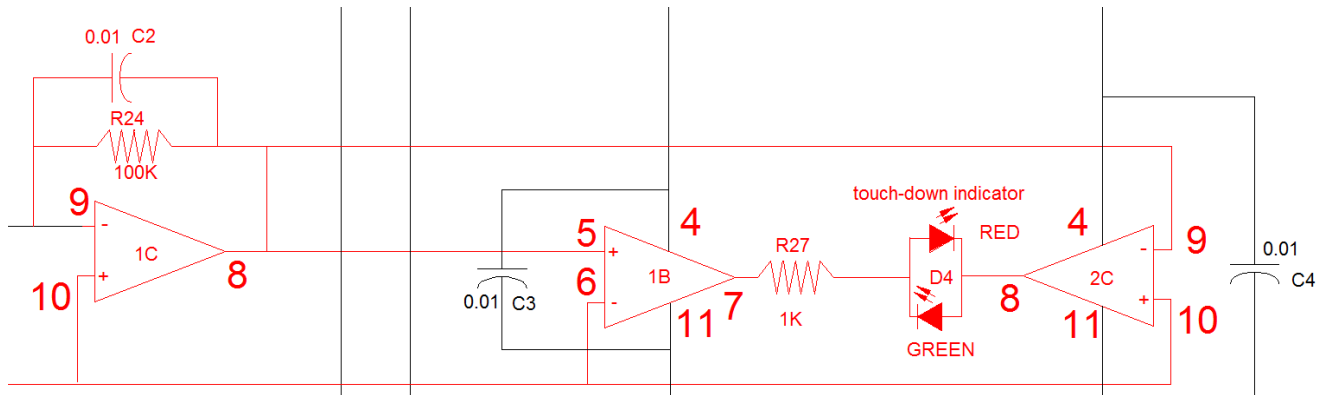
$$R_x = 21.0 \text{ milliohms.}$$

Thankfully, it is a lot easy to just twist the two knobs than run through the equations each time.



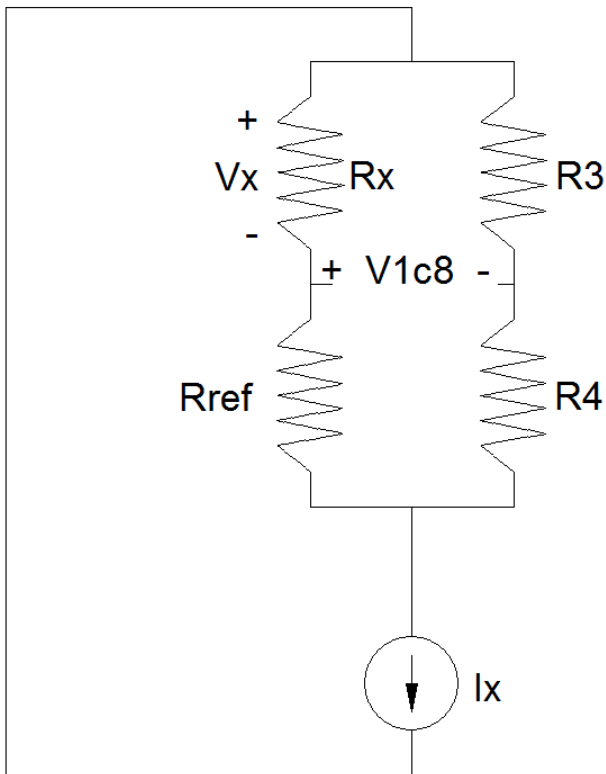
Capacitor  $C_2$  causes the op amp to have less gain as the incoming signal increases in frequency. Since the only signal I care about is at DC, this cap is helping reduce any unwanted signals.  $C_2$  with  $R_{24}$  create a corner frequency of 318 Hz.

### Touch-down LED Driver



The output of op amp 1C with respect to  $V_{IC10}$  drives a pair of op amps used as comparators. When this voltage is positive,  $V_{1B7}$  swings up to near the positive power rail while  $V_{2C8}$  swings to near the negative power rail. This causes current to flow through the red LED. When this voltage is negative, the green LED lights. If this voltage is very close to zero and there is any AC noise, both LEDs will dimly light.

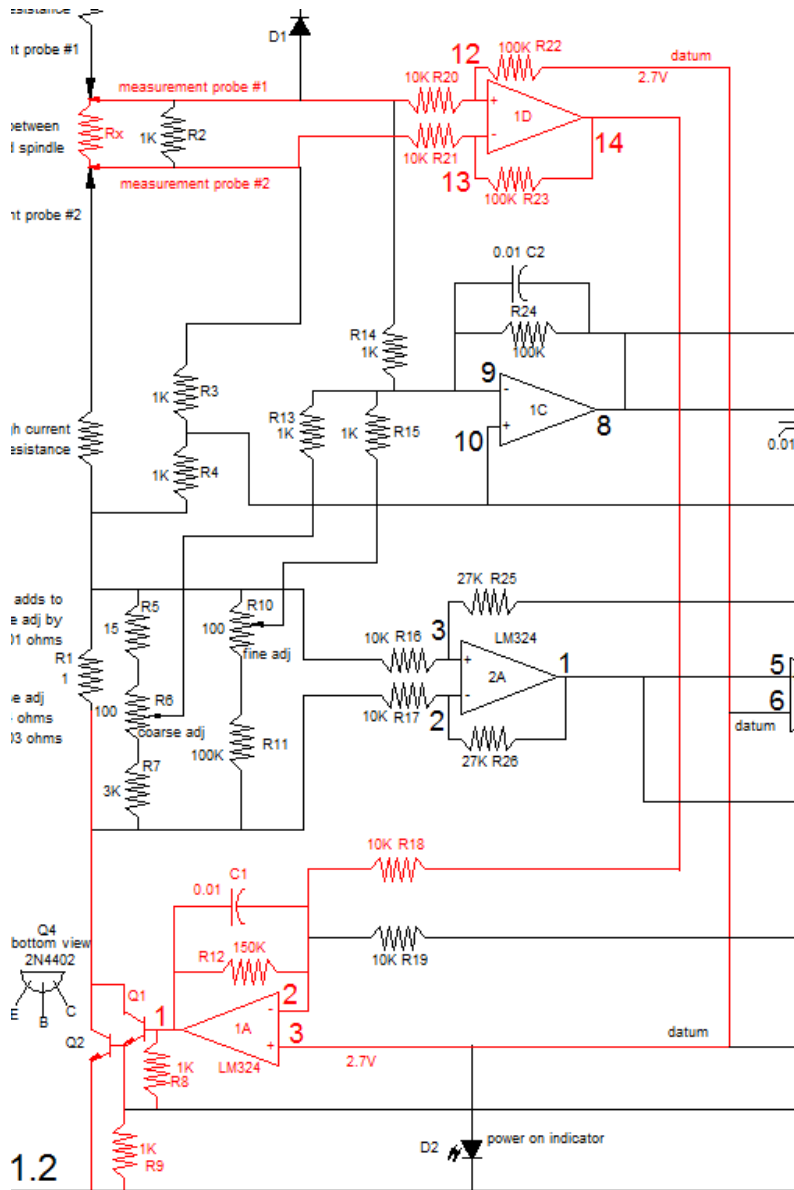
## The Current Source



Recall that the current that flows through my Wheatstone bridge comes from a Voltage Controlled Current Source. It is defined by equation 1:

$$I_x = \frac{10 \text{ mV}}{R_x} \quad (1)$$

In other words,  $I_x$  is adjusted such that the voltage across  $R_x$  is always 10 mV. Well, not *really* always; only over a range of currents.



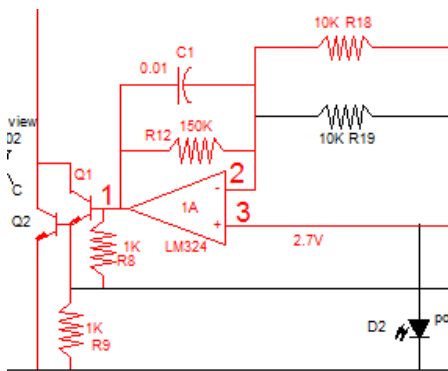
Op amp 1D directly measures the voltage across  $R_x$  and multiplies it by 10. But wait, wasn't my ground pin 10 at op amp 1D? Well, I lied a little. While true for op amp 1C, I use a different "ground" for op amp 1D. I will call it my "datum". All this means is that my voltage  $V_{1D14}$  is with respect to my datum. I did this to move my output voltage of op amp 1D away from the negative rail of the power supply. It also has another use which will become evident soon.

The output of 1D feeds into an inverting amplifier involving 1A, R18, and R12. It has a gain of 15. Its output feeds a small NPN which in turn feeds a power NPN.

1.2

Now, bear with me as I

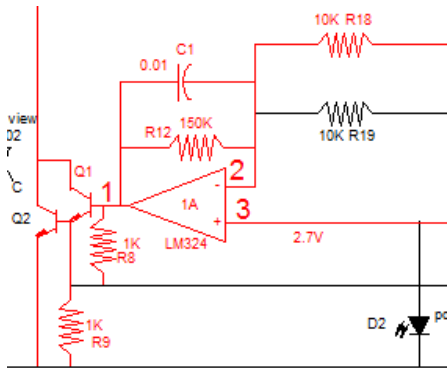
really mess with your mind. I am about to use the convoluted logic of feedback to explain how this part of the circuit works.



The voltage at the output of 1A equals

$$10 \times (-15) \times V_x = -150V_x$$

with respect to the datum. With respect to my negative power rail, it would be lower by the voltage across  $D_2$ . So I can say that the voltage at the output of 1A equals  $V_{D2} - 150V_x$  with respect to the negative power rail.



But since current is flowing through  $R_x$  in order to generate  $V_x$ , I know that  $Q_1$  and  $Q_2$  are on. Therefore, the voltage at pin 1 of op amp 1A must equal  $V_{be1} + V_{be2}$ .

I have calculated the voltage at pin 1 of op amp 1A in two different ways but there can be only one voltage. So I will simply set them equal and see what happens:

$$V_{be1} + V_{be2} = V_{D2} - 150V_x \quad (10)$$

A reasonable voltage for  $V_{be}$  is 0.7V and for my LED it is around 2.7V. This gives me

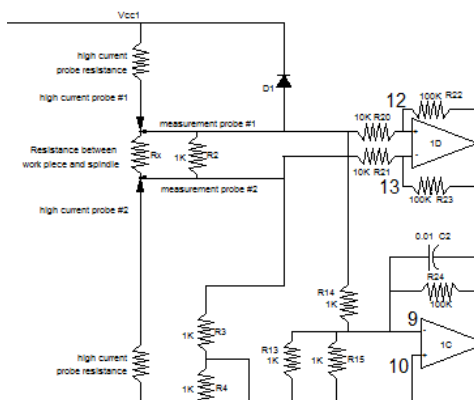
$$0.7 + 0.7 = 2.7 - 150V_x$$

Solving for  $V_x$  I get

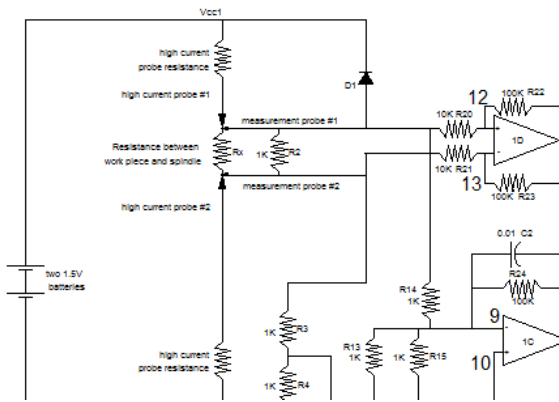
$$V_x = \frac{2.7 - 0.7 - 0.7}{150} = 8.7 \text{ mV}$$

You have caught me in a tradeoff. I really wanted 10 mV but what I want more is to limit the number of different resistor values in my circuit. So I ended up with a regulated voltage a little bit smaller than my target. On the other hand,  $V_{be}$  and  $V_{D2}$  are not precision either so I would be kidding myself if I finely tuned the circuit to give me exactly 10 mV. It is better to be a little bit under to insure I can tolerate a  $R_x$  of 10 milliohms.

So what this circular argument has demonstrated is that  $Q_1$  and  $Q_2$  will adjust such that the voltage across  $R_x$  is around 8.7 mV over a wide range of  $R_x$  values.



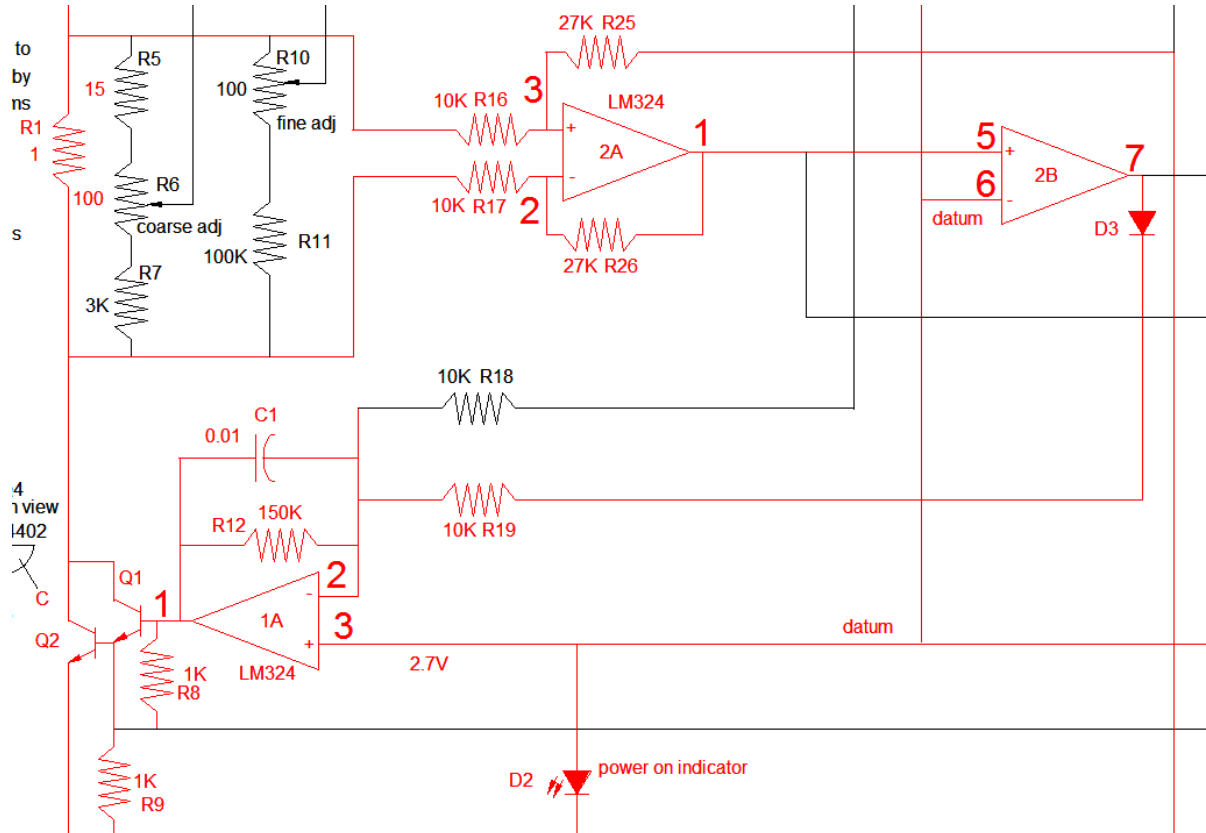
There are a few loose ends here.  $R_2$  and  $D_1$  can be found near  $R_x$ . They do nothing under normal circuit operation. When the measurement probes are removed from  $R_x$ , their voltages would be undefined and that can lead to strange behavior or even damage to the op amps. So instead I have  $R_2$  which ties the measurement probes together. The 1K value has a minimal effect on the value of  $R_x$  seen by the rest of the circuit.



The input transistors in these op amps are PNPs so current flows out of them. D<sub>1</sub> provides a path for this current into the two 1.5V batteries. I used a diode here rather than a resistor because I do not want any current to flow from these batteries into the rest of the circuit when the probes are removed.



## The Current Limiter



The current through  $R_x$  must not get above 1 amp. This function is accomplished by directly measuring the voltage across  $R_1$ . This voltage equals our test current times  $R_1$ . So at 1 amp, op amp 2A sees 1V. It amplifies this voltage by 2.7 to generate the voltage  $V_{2A1}$  which is with respect to my negative power rail. Op amp 2B is used as a comparator. It compares  $V_{2A1}$  to the voltage across  $D_2$  which is about 2.7V. I get a state change in 2B when

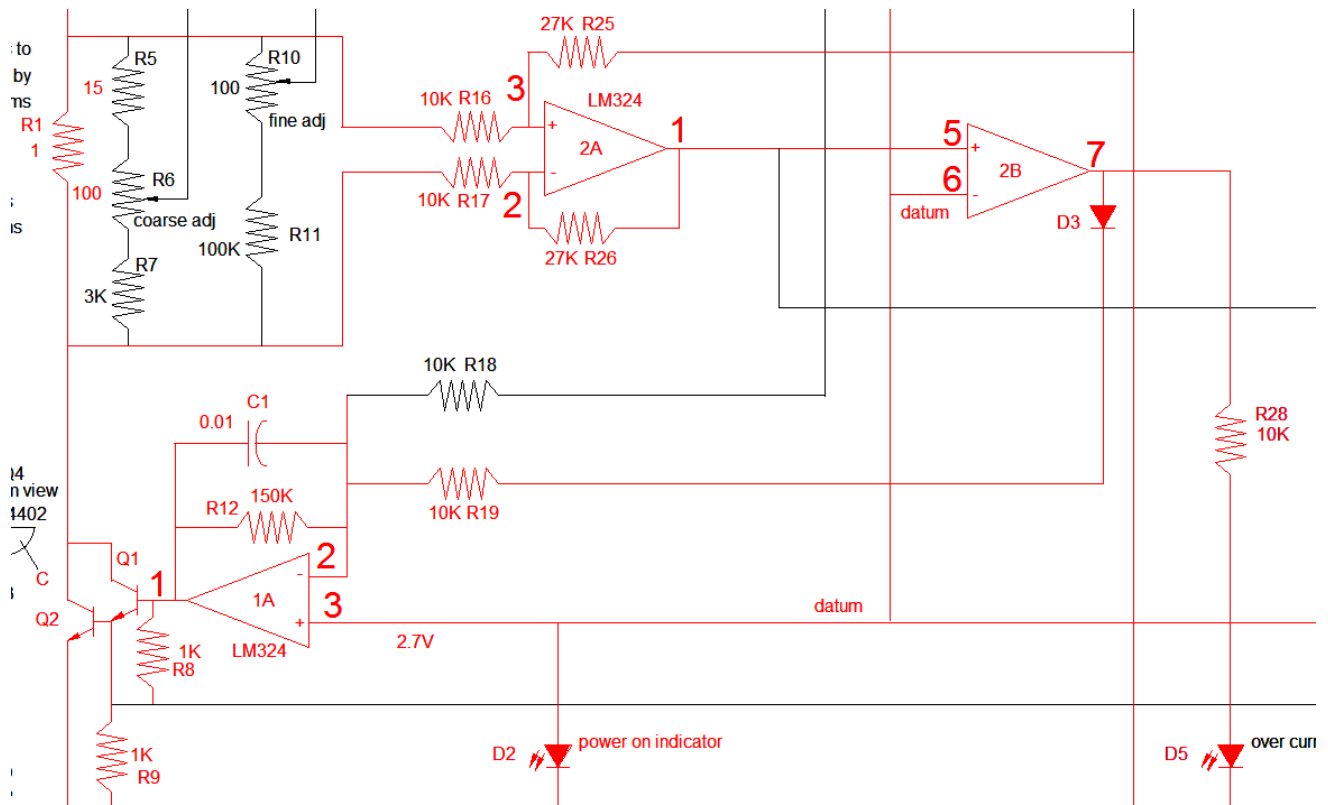
$$V_{D2} = 2.7 \times R_1 \times I_x \quad (11)$$

Where  $V_{D2}$  equals about 2.7V,  $R_1$  equals 1 ohm, and  $I_x = I_{c1} + I_{c2}$ .

I therefore have

$$2.7 = 2.7 \text{ ohms} \times I_x \text{ so } I_x = 1 \text{ amp, my current limit.}$$

At this current level, the output of 2B swings from near the negative power rail up to near the positive power rail.



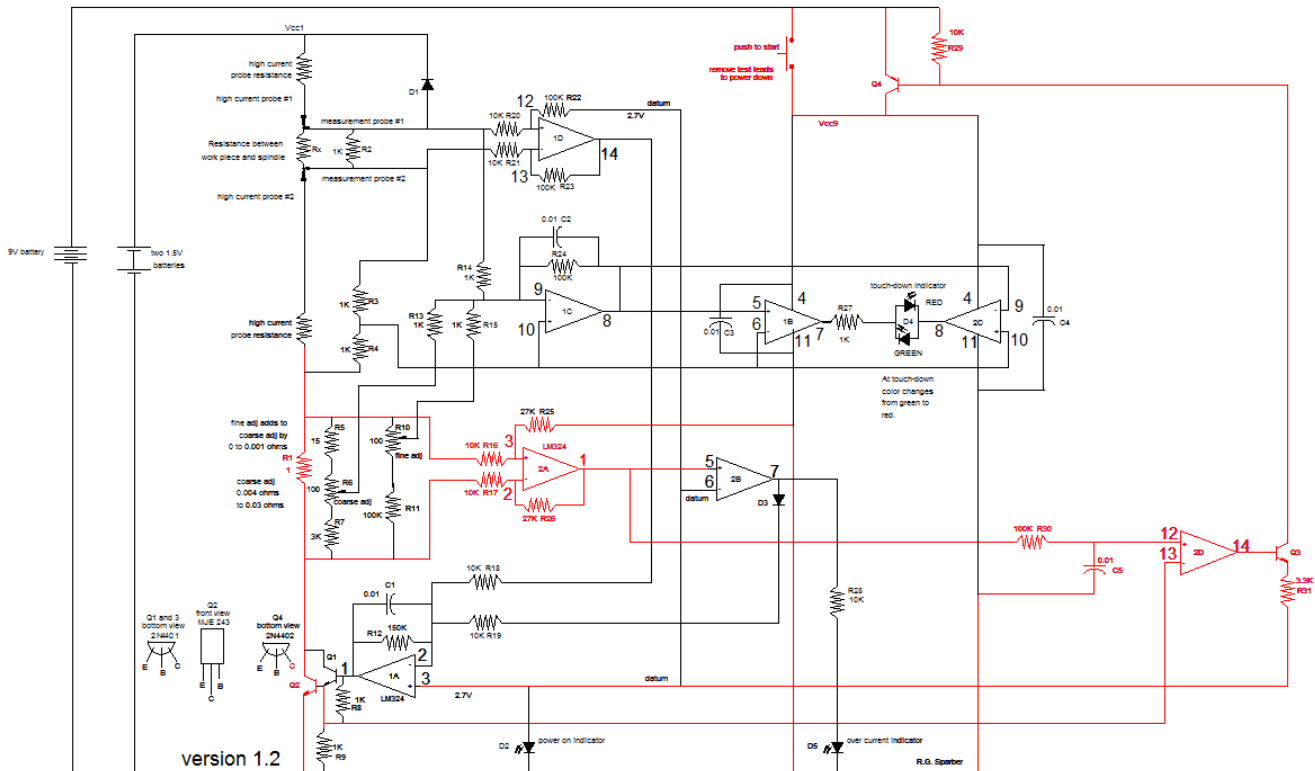
This turns on diode  $D_3$  and applies about 7V to  $R_{19}$ . This large flow of current into amplifier 1A cause  $V_{1A1}$  to slam down to near the negative power rail. Q1 and Q2 quickly turn off so no current flows through  $R_1$ .

But wait, didn't I start by saying that 1 amp was flowing through  $R_1$ ? Yup. So I have a contradiction *until* I consider the factor of time.

We start with 1 amp flowing. This causes 2B to change state which slams 1A's output down. That starts to turns off the transistors and the current through  $R_1$  falls. But then 2A sees that the voltage is now smaller so 2B changes state again and diode  $D_3$  turns off. In other words, when we reach the current limit, the current limiter oscillates between a current of 1 amp and a value less than 1 amp. Capacitor  $C_1$  slows down the cycle but provides some noise immunity.

Sitting off to the side is  $R_{28}$  and  $D_5$ . Each time 2B's output slams up to near the positive rail,  $D_5$  lights up to tell us that we have reached the maximum current.

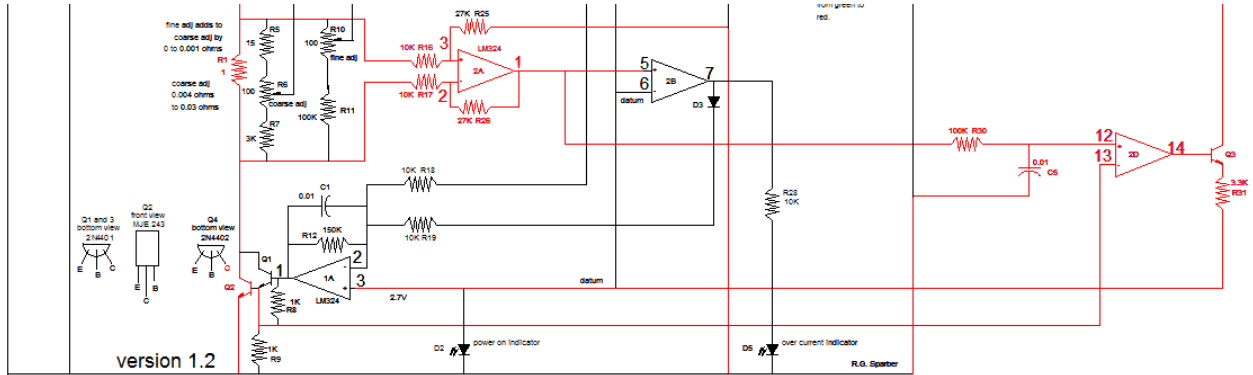
## Automatic Power Shutdown



When the test current falls below about 0.25 amps, the circuit powers down. In this way, when you remove the test probes, you can't leave the power on to drain the batteries.

The shutdown circuit uses the same voltage as the current limiter. The output of op amp 2A with respect to the negative rail is applied to a filter using  $R_{30}$  and  $C_5$ . This filter prevents short disruptions of current from killing power. It has a time constant of  $R_{28} \times C_5 = 100K \times 0.01 \mu F = 1 \text{ ms}$ . That is a corner frequency of 318 Hz.

Op amp 2D is used as a comparator. The positive input equals  $2.7 \times R_1 \times I_x$  if the signal is DC. The negative input equals  $V_{be2}$  which is around 0.7V.



State change in 2D occurs when

$$2.7 \times R_1 \times I_x = V_{be2} \quad (12)$$

Solving for  $I_x$  to get

$$I_x = \frac{V_{be2}}{2.7 \times R_1} \quad (13)$$

$$= \frac{0.7}{2.7 \text{ ohms}}$$

$$I_x = 0.259 \text{ amps}$$

As long as  $I_x$  is above this value, the output of 2D remains near the positive power rail.

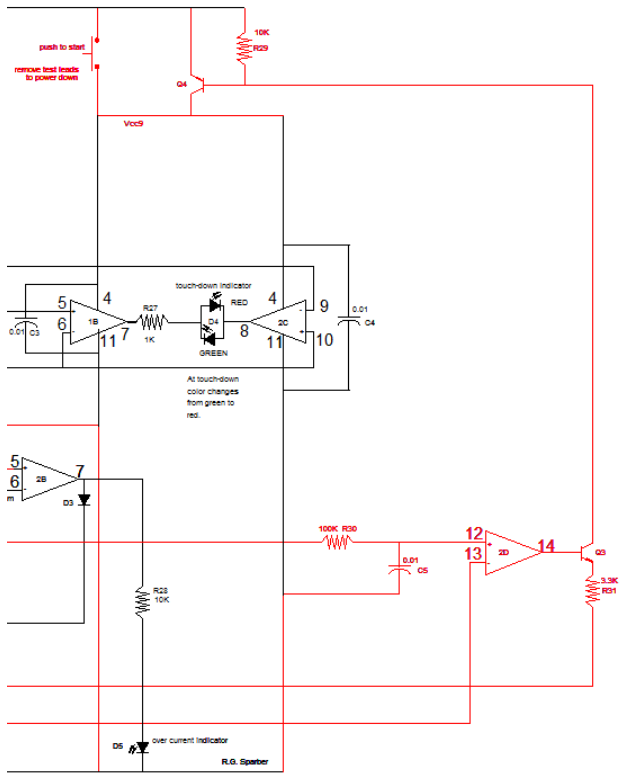
When the current source is in overload, the  $R_{28} C_5$  filter removes most of the AC component. What is left is high enough not to shut down the circuit.

$V_{2D14}$  feeds the base of Q3 which is part of a current source:

$$I_{c3} = \frac{V_{2D14} - V_{be3} - V_{D2}}{R_{31}} \quad (14)$$

$V_{2D14}$  is near the positive power rail and is around 7V.  $V_{be3}$  is around 0.7V and  $V_{D2}$  is around 2.7V. None of these voltages are critical.

$$I_{c3} = \frac{7 - 0.7 - 2.7}{3.3K} = 1.1 \text{ mA}$$



This current is drawn from the parallel combination of R<sub>29</sub> and the base of Q<sub>4</sub>. Since V<sub>be4</sub> is around 0.7V, this leaves

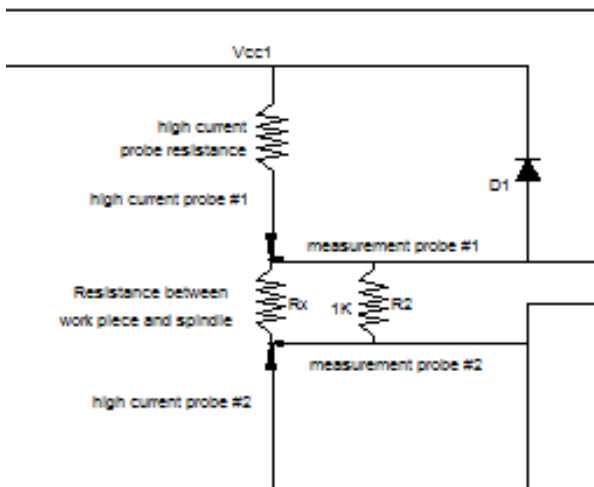
$$1.1 \text{ mA} - \frac{0.7V}{10K} = 1 \text{ mA}$$

to saturate Q<sub>4</sub>. Assuming a minimum beta for Q<sub>4</sub> of 20, this is more than enough to insure all needed current can pass to the rest of the circuit. I measured a load of less than 10 mA.

In order to start up the circuit, the "push to start" button is pressed. It shorts out Q<sub>4</sub> and, assuming the test leads are connected, brings up the circuit. If the test leads are not

connected, then power will not remain on when the button is released.

## Mechanical Considerations



The circuit will only work correctly when all four probes are connected to the unknown. I plan to use magnetic clips<sup>4</sup> to attach these probes. The high current probe #1 and measurement probe #1 will be run in the same length of common lamp cord. Each conductor will terminate in its own magnetic clip. I will then run a bead of heat glue between the clips to hold them together without providing a path for current. In a similar fashion, high current probe #2 will be paired with measurement probe #2.

The 1.5V batteries might be AA or maybe D size. It depends on how often the circuit is used. I own AA batteries with a power rating of over 2.5 ampere-hours so they should have a decent lifetime if each use of the circuit is limited to less than a minute.

## Parts Considerations

$D_1$  and  $D_3$  are common small signal diodes. I used Super Bright white LEDs for  $D_2$  and  $D_5$  because I had them.  $D_4$  can be a single, red/green LED or it can be formed from two LEDs. All resistors are 1/4W except  $R_1$  which can dissipate up to 1 watt. I happen to have a 5W resistor so that is what I used there. A heat sink may be needed for  $Q_2$ . Given a  $V_{cc1}$  of around 2V and a test current of 1 amp,  $V_{ce2}$  is around 1V. So it could dissipate up to a watt.

<sup>4</sup> See <http://rick.sparber.org/electronics/mwc.pdf>

### *Normal Operation*

The circuit is intended to look for a small drop in resistance. When this drop is detected, the touch-down LED changes from green to red.

Testing procedure:

1. connect the test probes across the unknown resistance
2. push the start button
3. the power-on LED should light
4. set the fine adjust to the center of its travel
5. adjust the coarse adjust until the touch-down LED is barely green (that is, a slight turn of the coarse adjust makes it red)
6. adjust the fine adjust until the touch-down LED is green but very close to changing to red
7. switch to the lower value of unknown resistance without disrupting the test current
8. the touch-down indicator should change from green to red; if not, use the fine adjust to make it just turn red and verify that it is green when you return to the higher resistance.

Fault conditions:

- A. power won't stay on - unknown resistance is greater than about 30 milliohms
- B. over current LED on - unknown resistance is less than about 8 milliohms
- C. moving from higher to lower resistance does not cause a state change in the touch-down LED (assuming circuit is not in over current and the coarse and fine adjust were done right) - change is less than 0.1 milliohms.

I welcome your comments and questions.

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